# Modelling of the Highly Miniaturised Radiation Monitor 

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## HMRM operation summary

- Miniature monitor for energetic charged particles in a range of earth orbits
- Sensors read out at 10 kHz : up to $100 \mu$ s exposure time, divisible down to $3.125 \mu \mathrm{~s}$
- FPGA executes particle ID algorithm on each read out
- Particle data output:
- Count rate, dose rates
- Identified particle rates

- Spectrum reconstruction (in development) ground segment, offline



## Modelling overview



## Particle identification

1. Pixel signals summed to find total charge for each sensor
2. Event allocated to one of 32 channels via a lookup table. Some channels are of high purity
3. Table imposes coincidence, and anticoincidence constraints
4. No-hit event counter informs integration time "shuttering"
5. Table chosen through:

- Theory (similar to $\Delta \mathrm{E}, \mathrm{E}$ detectors ${ }^{[1]}\left[{ }^{[2]}{ }^{[3]}\right.$ )
- Experiment
- Simulation

| Channel | Sensor 1 |  | Sensor 2 |  | Sensor 3 |  | Sensor 4 |  | ID |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | L1 | U1 | L2 | U2 | L3 | U3 | L4 | U4 |  |
| 1 | 0.0 | 0.2 | 0.0 | 0.2 | 0.0 | 0.2 | 0.0 | 0.2 | No Hit |
| 2 | 361.0 | 624.2 | 23.4 | 208.8 | 0.0 | 0.2 | 0.0 | 0.2 | Proton $2.5-4.0 \mathrm{MeV}$ |
| 3 | 23.4 | 69.8 | 23.4 | 69.8 | 23.4 | 40.4 | 0.0 | 0.2 | Proton $20-60 \mathrm{MeV}$ |
| 4 | 4.2 | 6.6 | 4.2 | 6.6 | 4.1 | 11.9 | 1.5 | 13.5 | Proton $180-500 \mathrm{MeV}$ |
| 5 | 4.5 | 13.5 | 1.5 | 2.6 | 0.0 | 0.2 | 0.0 | 0.2 | Electron $>0.1 \mathrm{MeV}$ |
| 6 | 1.5 | 2.6 | 1.5 | 2.6 | 2.6 | 4.5 | 0.0 | 0.2 | Electron $>0.5 \mathrm{MeV}$ |
| 7 | 1.5 | 7.8 | 1.5 | 2.6 | 0.9 | 1.5 | 0.0 | 0.2 | Electron $>1.0 \mathrm{MeV}$ |
| 8 | 13.5 | 23.4 | 0.0 | 0.2 | 0.0 | 0.2 | 0.0 | 0.2 | Mixed |
| 9 | 120.7 | 208.8 | 120.8 | 208.8 | 0.0 | 0.2 | 0.0 | 0.2 | Mixed |

Part of an example table (scaled units)

## Geant4 simulation geometry



## Geant4 simulation

- Highly accurate Monte Carlo, extra validation with data for
- Energy losses in thin films ${ }^{[4]}{ }^{[5]}$
- Backscattering angular distributions ${ }^{[6]}$
- More than $10^{9}$ primaries simulated
- Electrons: $0.04-6 \mathrm{MeV}$
- Protons: 1 - 500 MeV
- Obtain sensor energy deposits as a function of incident particle species, energy, angle

HMRM sensor region


1 MeV electrons demonstrating front
shielding and
acceptance

## Response functions (RFs)

- Avoid the need for further Geant4 simulations
- Doubly differential in particle energy and solid angle, per unit incident particle fluence

| Particle | Energy range <br> $/ \mathrm{MeV}$ | Sensor <br> coincidence |
| :---: | :---: | :---: |
| Proton | $1-10$ | 1 |
|  | $10-60$ | $1+2+3$ |
|  | $60-500$ | $1+2+3+4$ |
| Electron | $0.04-0.3$ | 1 |
|  | $1-6$ | $1+2$ |

- Geometric RF
- Probability of a hit to each or any sensor
- Energy deposit RF
- Energy deposit p.d.f for each sensor, per hit
- Particle ID RF
- Probability of obtaining a count in each channel
- Assuming a single hit (no pile up)



## Monitor response model

Convert Geant4 energy deposits into realistic signal by introducing:

1. Pixellation effects: lateral charge diffusion equation
2. Noise: simple Gaussian model
3. Analogue to digital conversion: 7 programmable comparator levels

Diffusion and noise model parameters fitted via experiment

Proposed 2D charge diffusion model result using arbitrary parameters


## Orbit simulator

- Introduce:
- Time-dependence (transient spectra, relative motion, pile up effects, exposure "shuttering")
- Multiple simultaneous species and spectral components (trapped particles, GCR, SEP etc) compatible with SPENVIS ${ }^{[7]}$ output files
- At each point in time:

1. Fold response functions with instantaneous incident spectra
2. Monte Carlo sample the resulting distributions
3. Apply monitor response model
4. Execute HMRM algorithm

## Orbit simulator: example results

- Example orbit: 23,222 km MEO at $56^{\circ}$ inc. ( 840 min period)
- Assume isotropic fluence, using omnidirectional AP-8 and AE-8 model spectra
- Total integral flux for protons and electrons shown below (simulator uses full energy spectra).



## Orbit simulator: example results





## Orbit simulator: example results






## Orbit simulator: example results



## Spectrum reconstruction development

- Simplistic matrix method rejected
$-\mathrm{n}=\mathrm{Ms} ; \mathrm{s}=\mathrm{M}^{-1} \mathrm{n}$
- Intolerant of fluctuations
- Requires a large number of channels, resulting in small counts
- Proposed method: Iterative fitting with Likelihood or Least Squares parameter
- Electron and proton spectra are simultaneously fitted
 (combined hypothesis)


## Spectrum reconstruction: initial tests

60 minutes in 23,222 km, $56^{\circ} \mathrm{inc}$. MEO



10 seconds in 10,000 km, $0^{\circ} \mathrm{inc}$. MEO



## HMRM collaboration

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