

Monte Carlo Transport of Low Energy Electrons

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Makoto Asai
SLAC

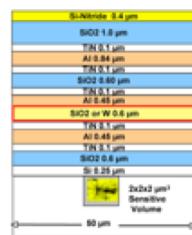
S. L. Weeden-Wright
Lipscomb University

M. V. Fischetti
UT-Dallas

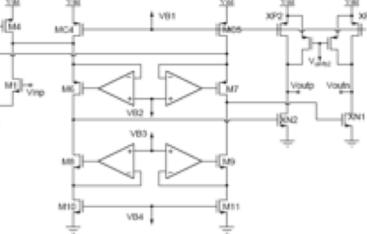


MRED + TCAD and/or Calorimetry

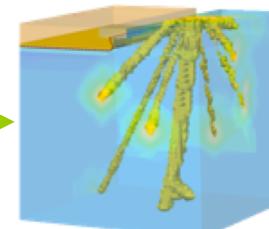
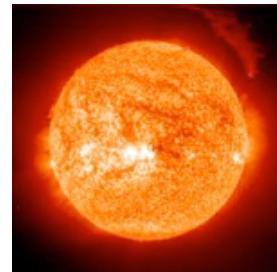
Device/Circuit/System
Virtualization



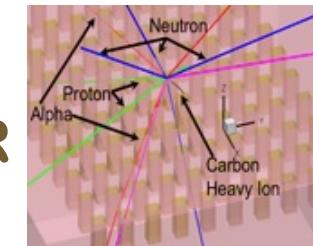
OR



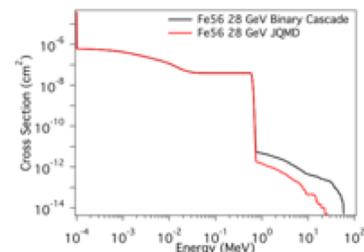
Radiation Event
Generation



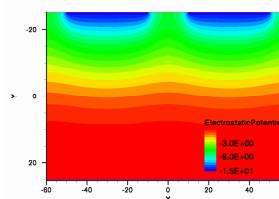
OR



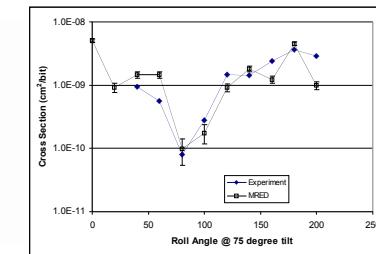
Response
Prediction



Calorimetry

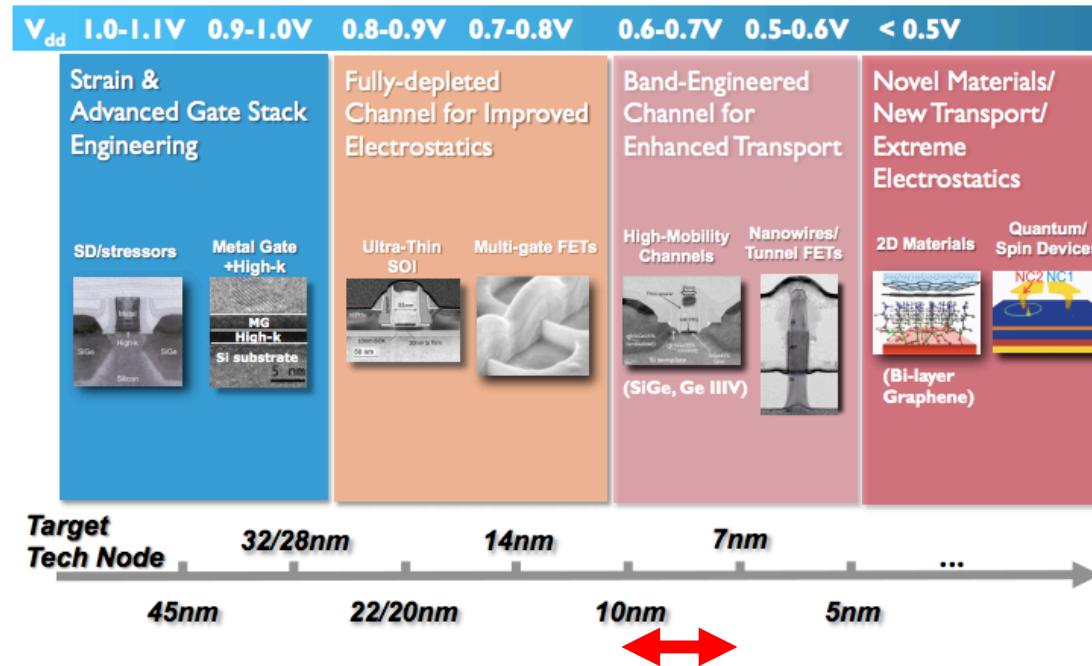


TCAD

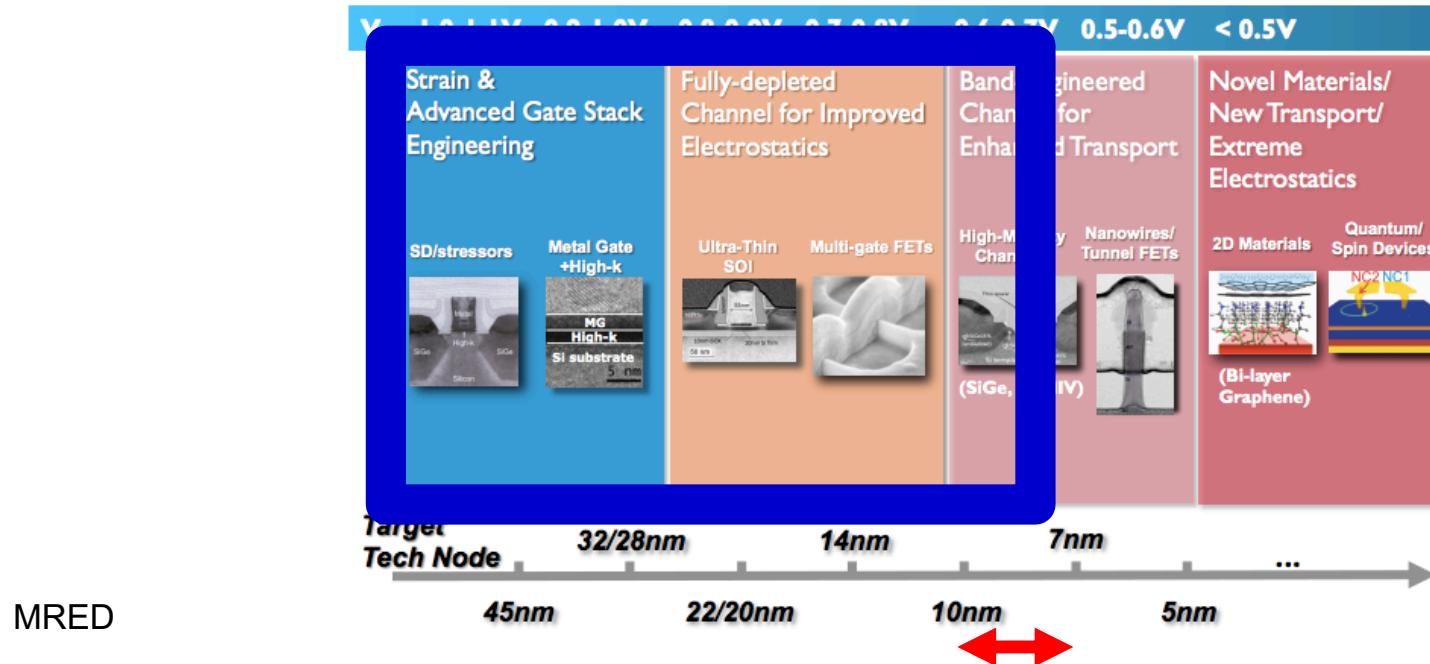


Other...

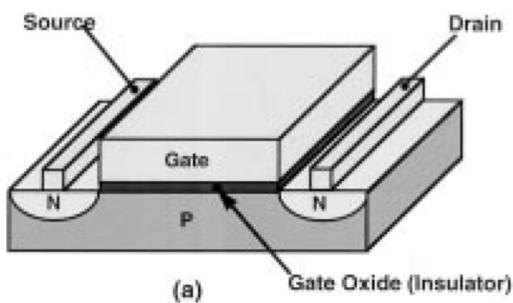
Semiconductor Technology Trends



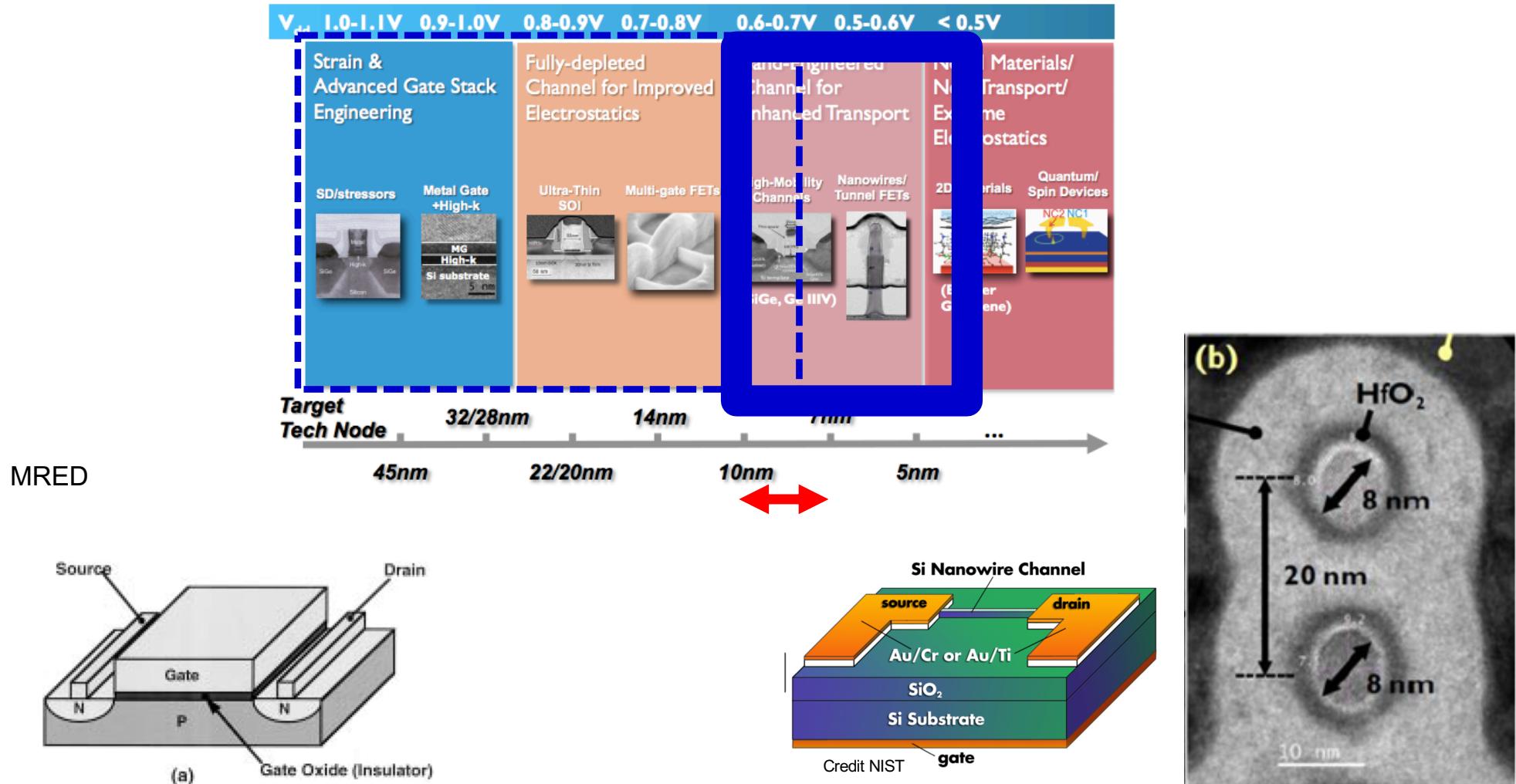
Semiconductor Technology Trends



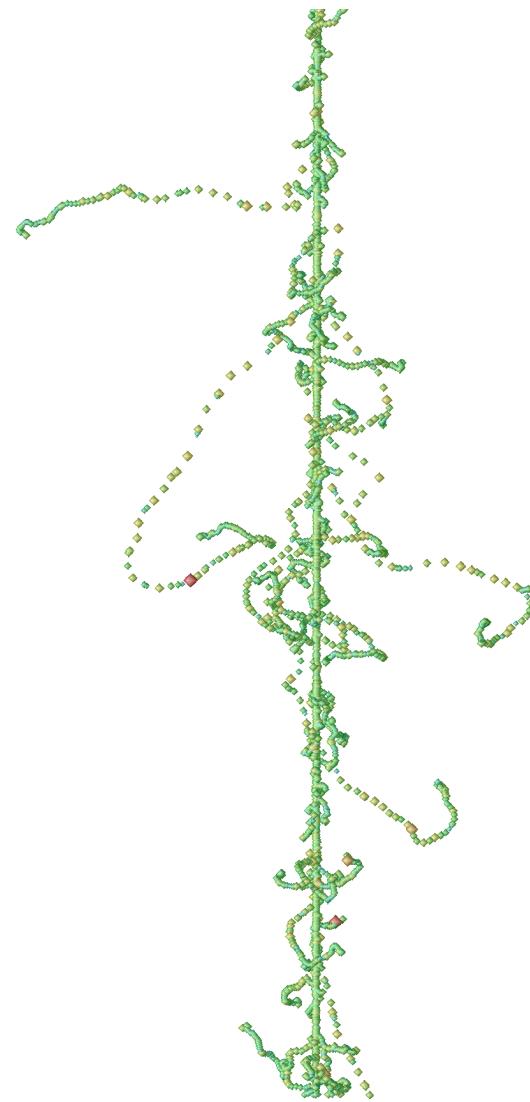
MRED



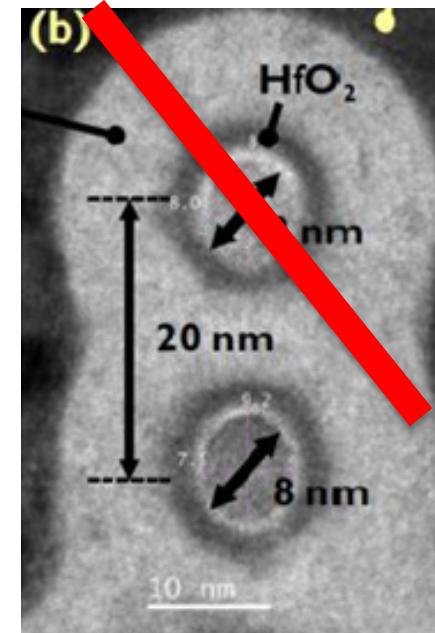
Semiconductor Technology Trends



MRED Simulation of Ion Transport



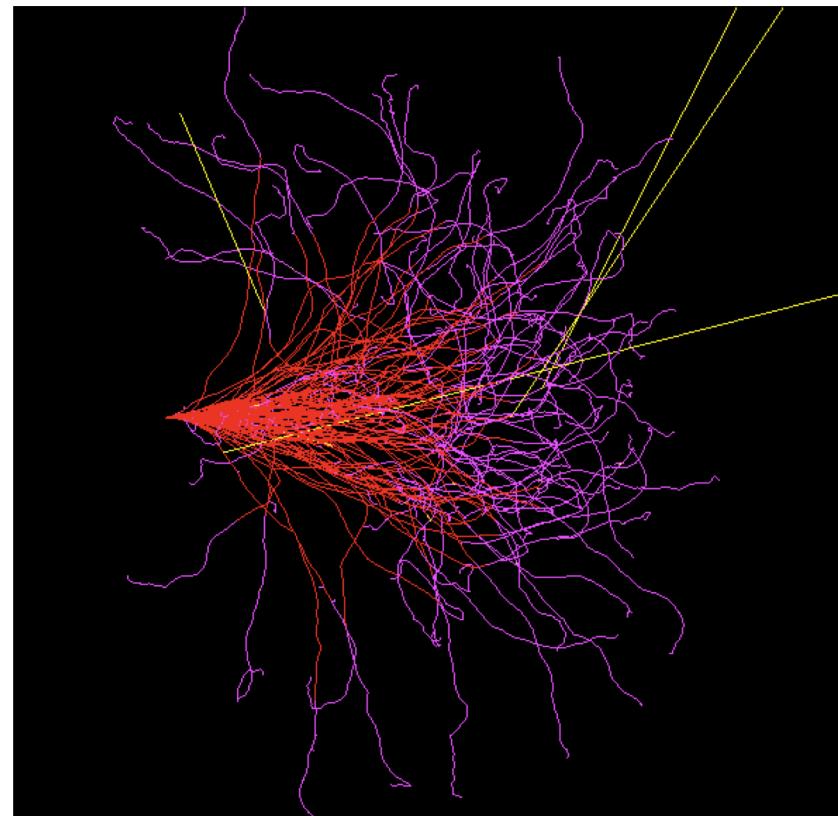
δ -rays



?

Production and Transport of Electrons

- G4 Standard E-M $>\sim 1$ keV
- PENELOPE 2008 $>\sim 100$ eV

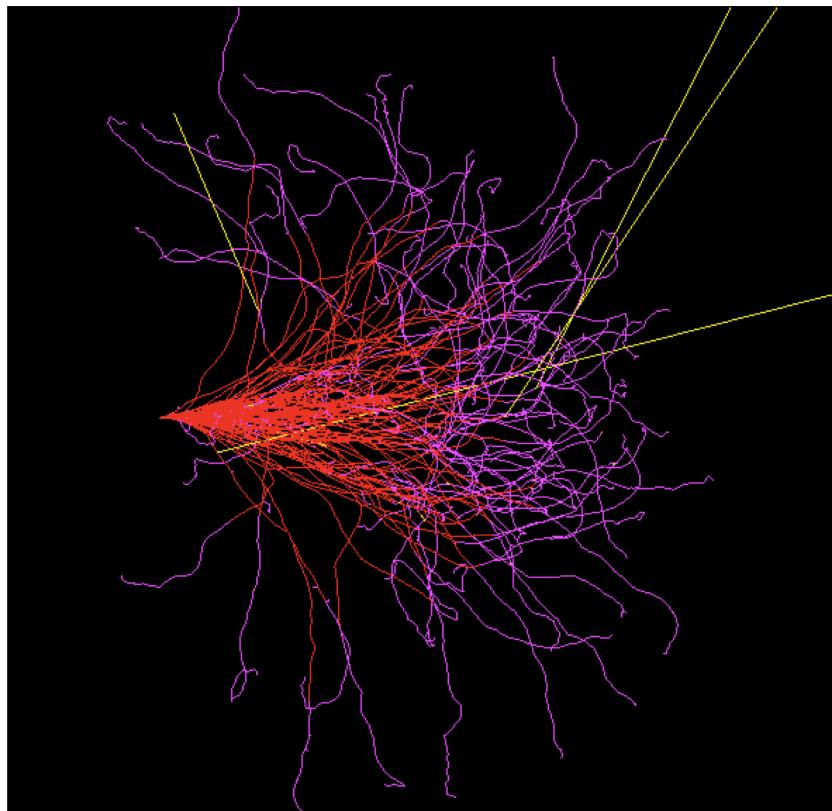


Production and Transport of Electrons

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Key question:

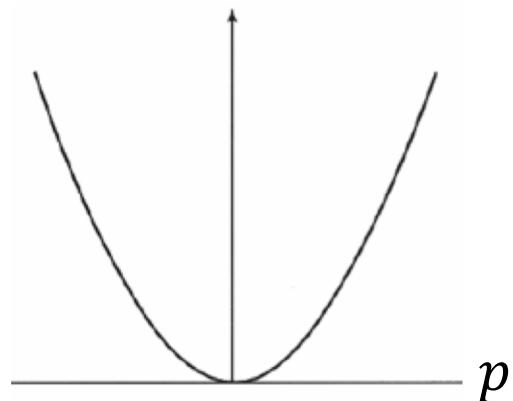
Is it possible to model electron transport and associated charge generation in nanoscale volumes?



Crystal Structure and Energy Bands

- Free particle $E(p)$ is parabolic

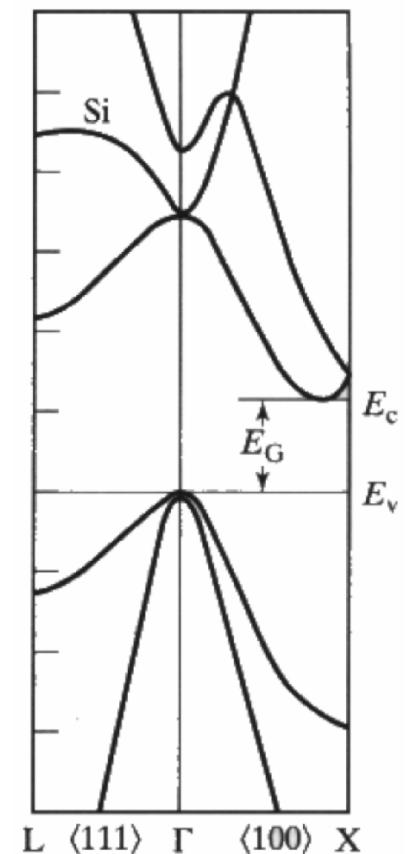
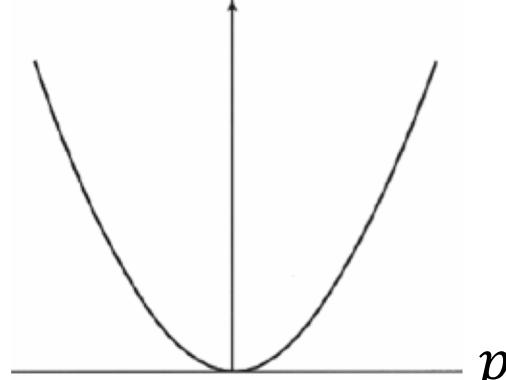
$$E = \frac{p^2}{2m}$$



Crystal Structure and Energy Bands

- Free particle $E(p)$ is parabolic
- Crystal structure imposes a periodic force on “low” energy electrons
- The quantum nature of electrons and the periodic crystal potential cause the electron’s to be in well defined energy states (density of states)

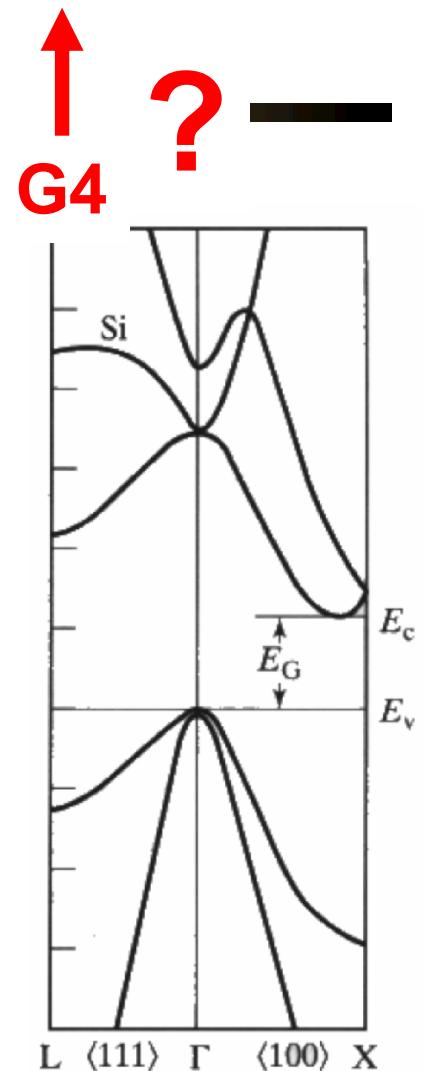
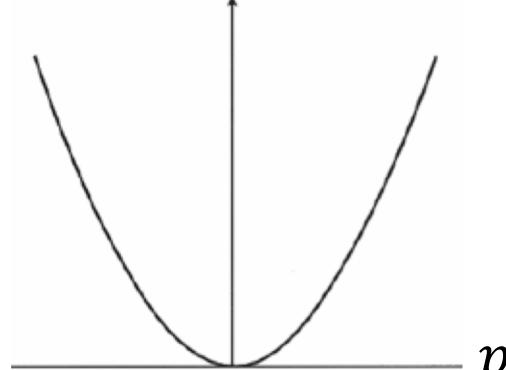
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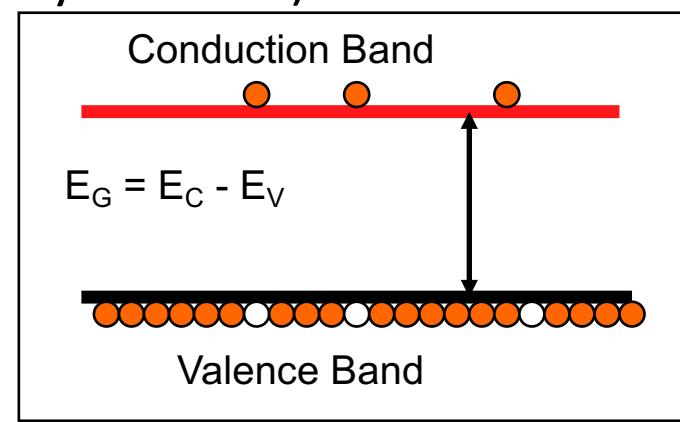
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TCAD



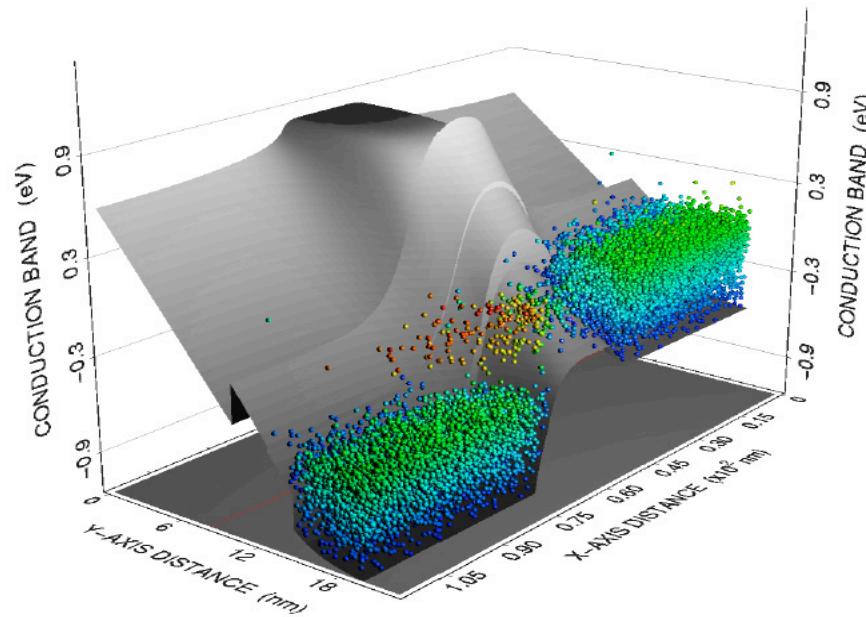
?



Anduril: Monte Carlo Simulation of e-h Transport

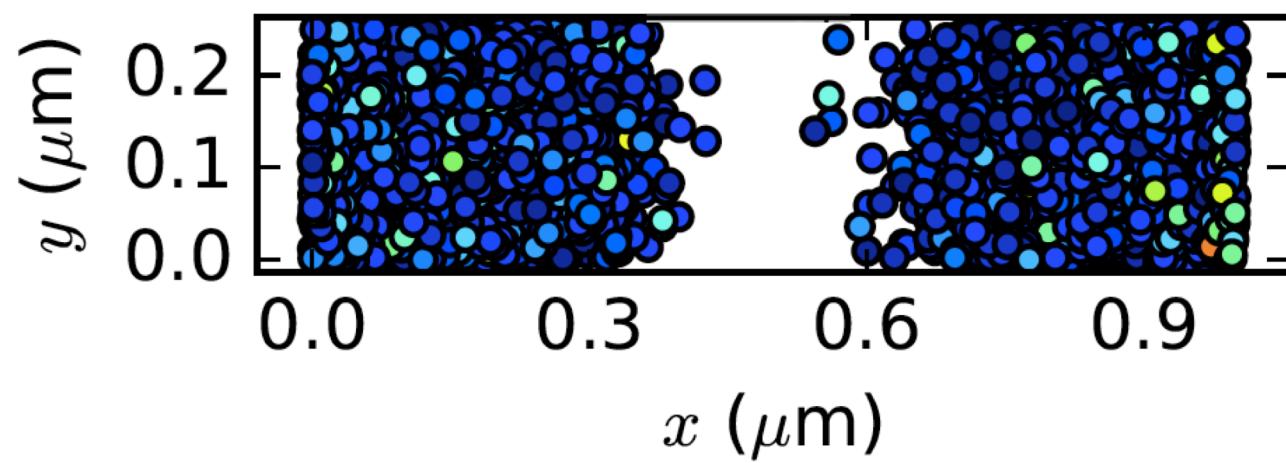
Courtesy of Massimo Fischetti

- Full 3D band structure and density of states (<10 eV for Si)
- Coupled solution of Boltzmann transport equation and Poisson equation
- Includes carrier-carrier, impurity, phonon-electron, interface trap, plasmonic scattering
- Impact ionization, tunneling, and quantization



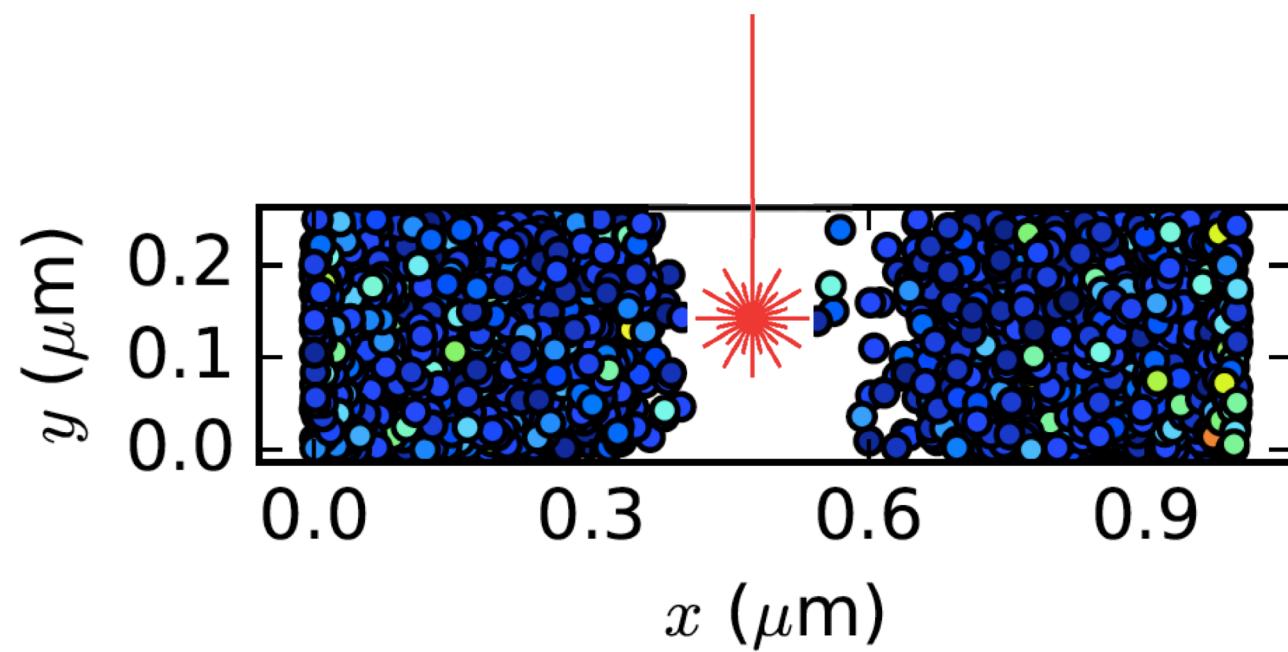
15nm III-V MOSFET showing the spatial and energetic distributions of electrons within the device

Anduril Simulation of a Reversed Biased p-n Junction



Anduril Simulation of a Reversed Biased p-n Junction

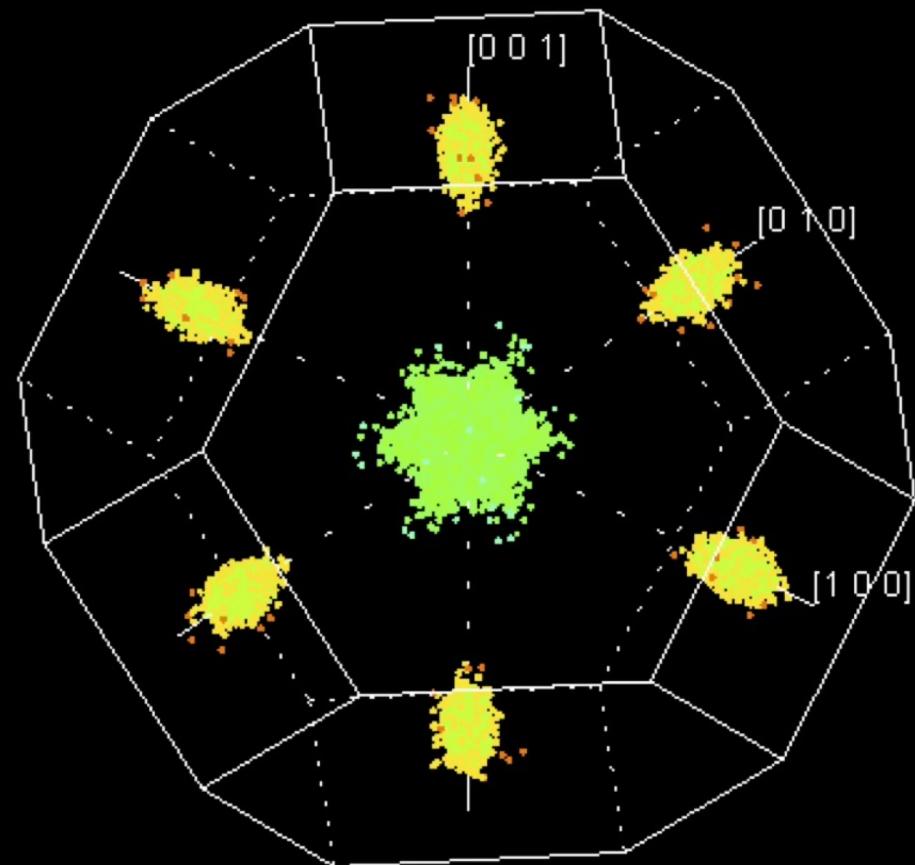
photon-induced carrier injection



D:\acore\damocles\si_diode\en_6pt3ev_5e27\si_diode; Mon Sep 18 22:47:43 2017

Elec + Hole Kinetic Energy (eV)

0.357

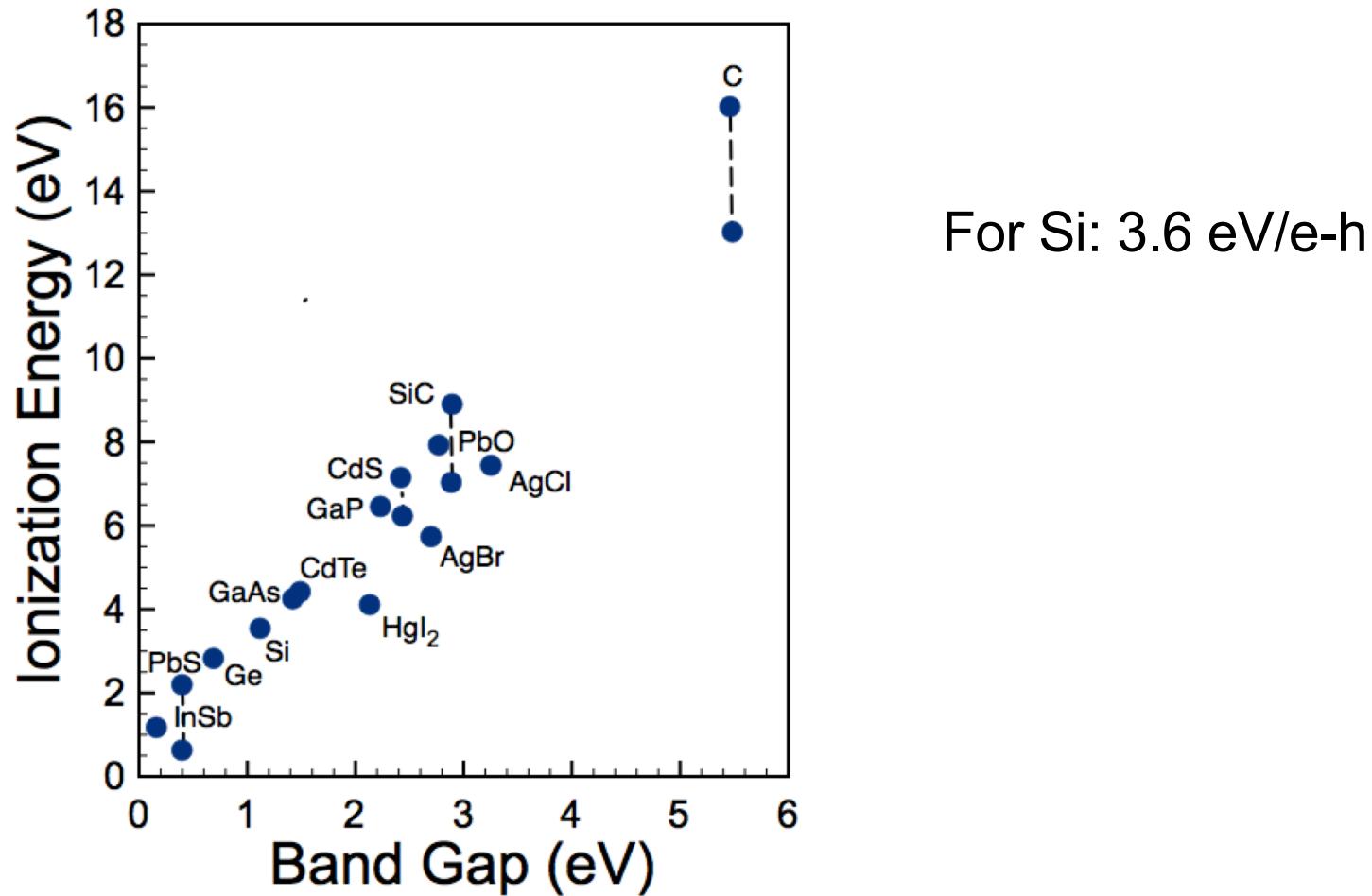


-0.556

Linear

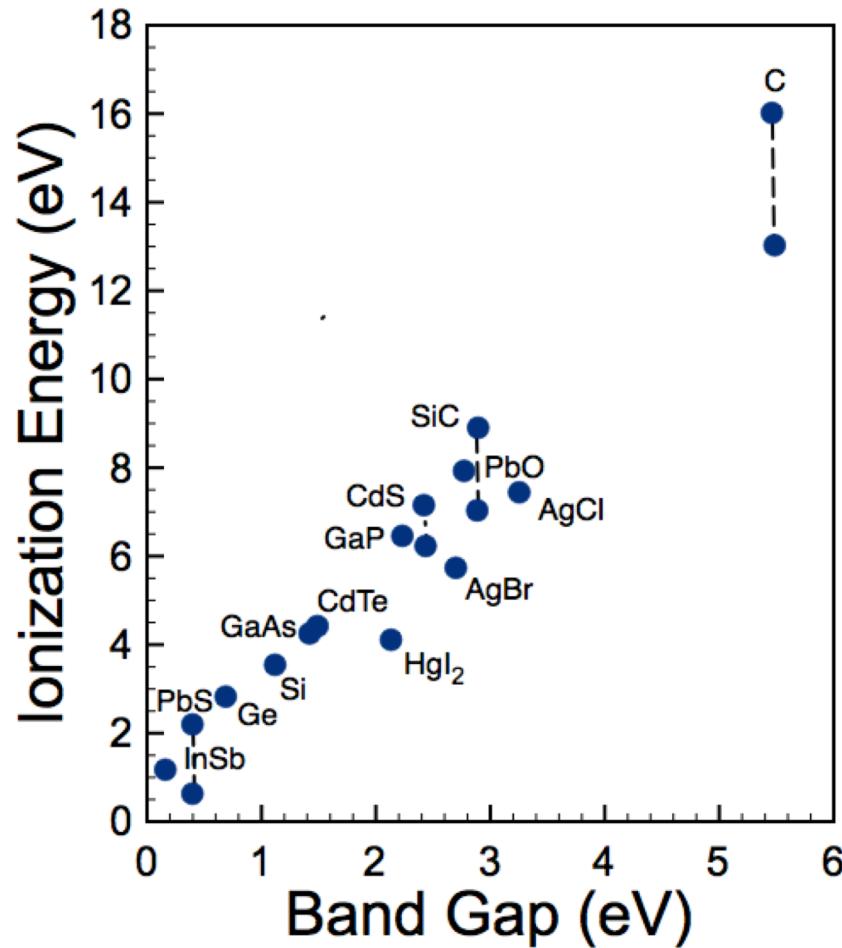
0.0 ps; 20020 of 20020p; -0.255 --> 0.246 (eV); particle ave=-1.27e-03 (eV); (0 1 0), <1 0 0>

An Aside: Average Energy to Create an e-h Pair



C. A. Klein, "Bandgap Dependence and Related Features of Radiation Ionization Energies in Semiconductors", *J. Appl. Phys.*, Vol 39, No. 4, 1968, pp. 2029-38

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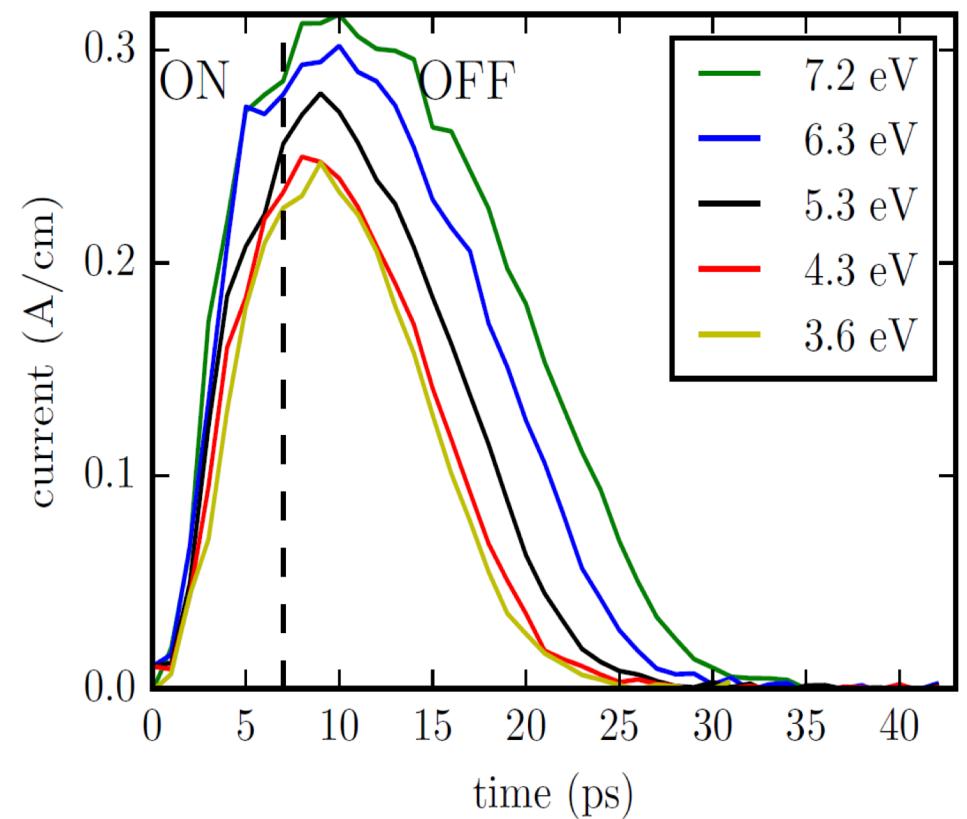
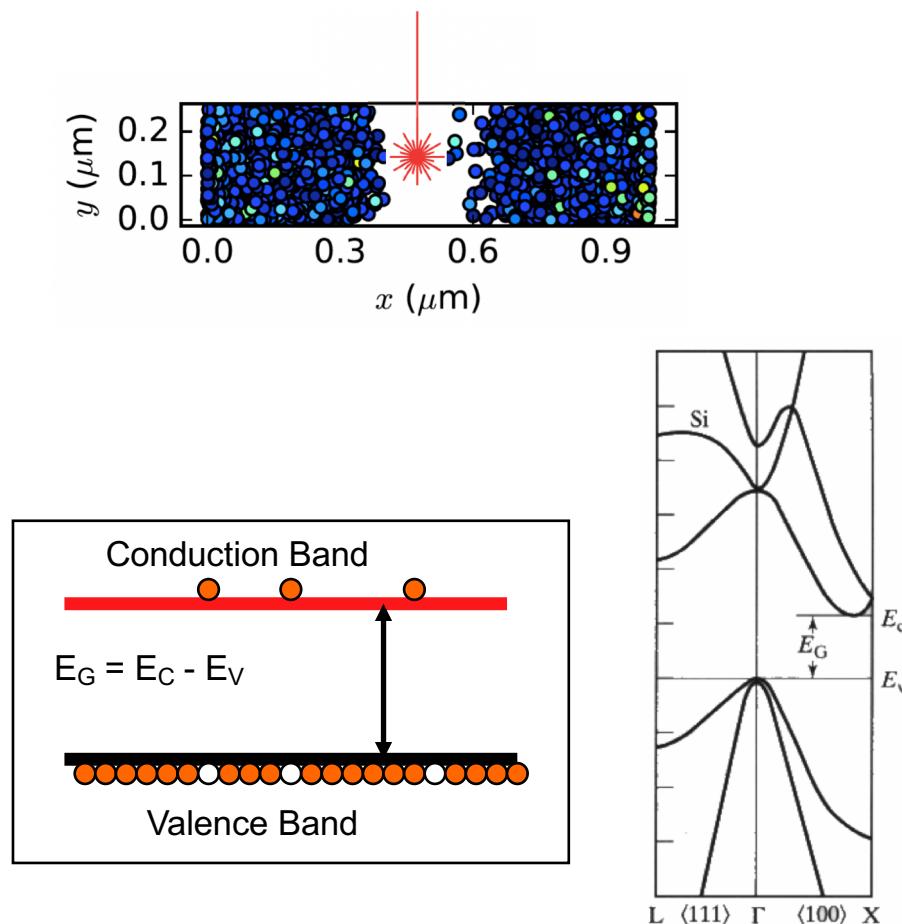


For Si: 3.6 eV/e-h

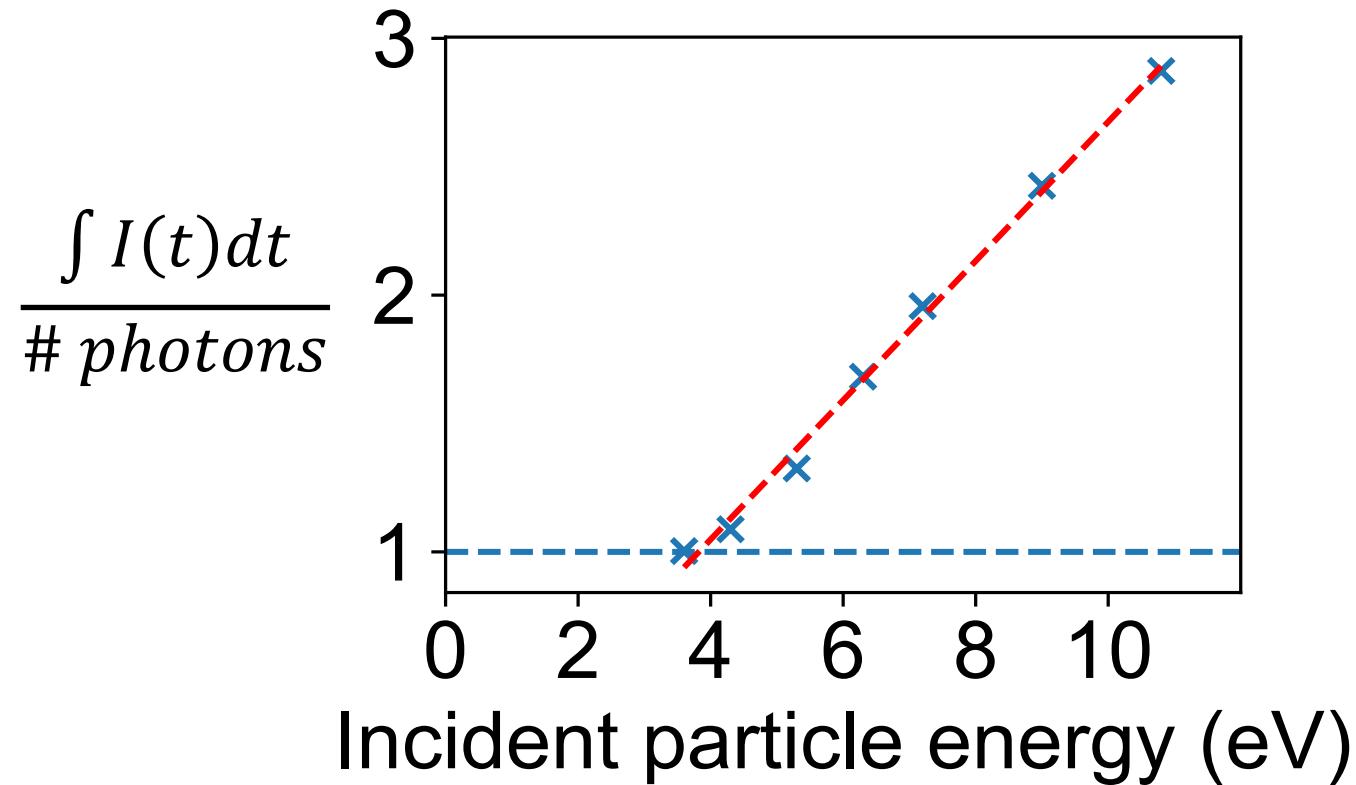


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Current on Contact for Different Photon Energies



Average # e-h Pairs/Photon vs Photon Energy



1/slope = 3.6 eV/e-h pair !

Bridging the 100 eV and 10 eV gap?

